

1/27/2020

7.1 Areas of Parallelograms & Triangles

Area formulas:

parallelogram
square, rectangle

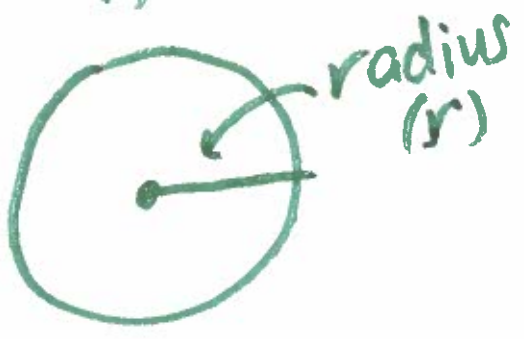
$$A = b \cdot h$$

Triangle(s)

$$A = \frac{b \cdot h}{2}$$

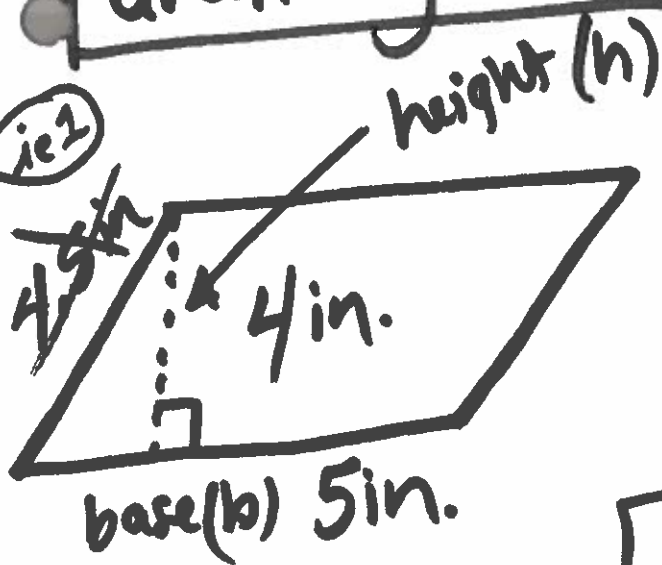
Circle:

$$A = \pi r^2$$



Parallelograms:

ie2

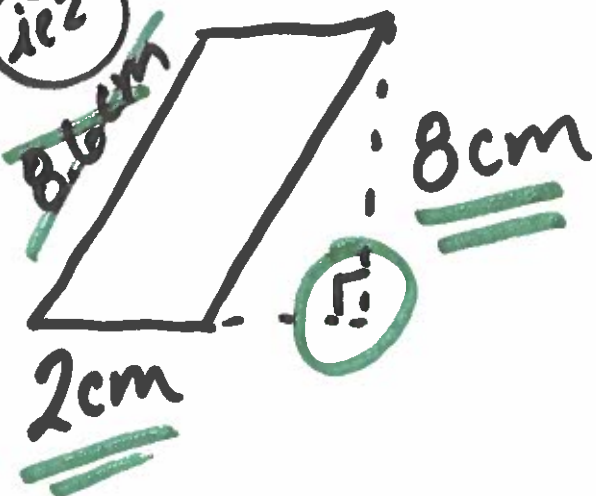


$$A = b \cdot h$$

$$A = 5 \cdot 4$$

$$A = 20 \text{ inches}^2$$

ie2



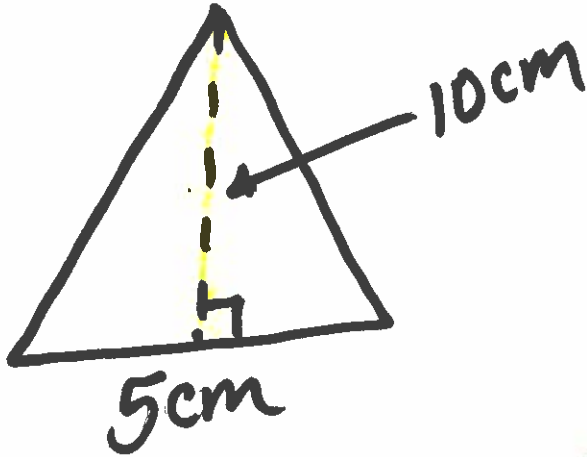
$$A = b \cdot h$$

$$A = 2 \cdot 8$$

$$A = 16 \text{ cm}^2$$

• Areas of Triangles:

ie1



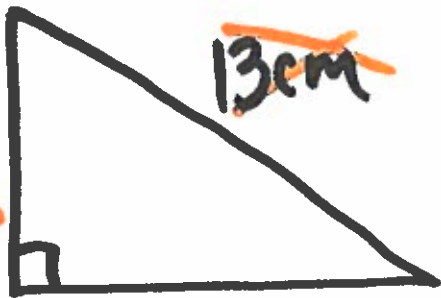
$$A = \frac{b \cdot h}{2}$$

$$A = \frac{5 \cdot 10}{2}$$

$$A = \frac{50}{2} = \boxed{25 \text{cm}^2}$$

ie2

h = 5cm



$$A = \frac{b \cdot h}{2}$$

$$A = \frac{12 \cdot 5}{2}$$

$$A = \frac{60}{2} = \boxed{30 \text{cm}^2}$$

b = 12cm

Calc: 351-352
pgs. #1-23 odds
skip 5, 7, 9

1/28/2020 7.1 day 2

Ex 1 pg. 329 looked @ table
\$ 9213

Ex 2 pg. 330 * 153,900

131,450 < t ≤ 200,300

25,550 + 28%

25,550 + .28 (153,900 - 131,400)

25,550 + .28 (22,450)

25,550 + 6286 = \$ 31,836

1/30/2020

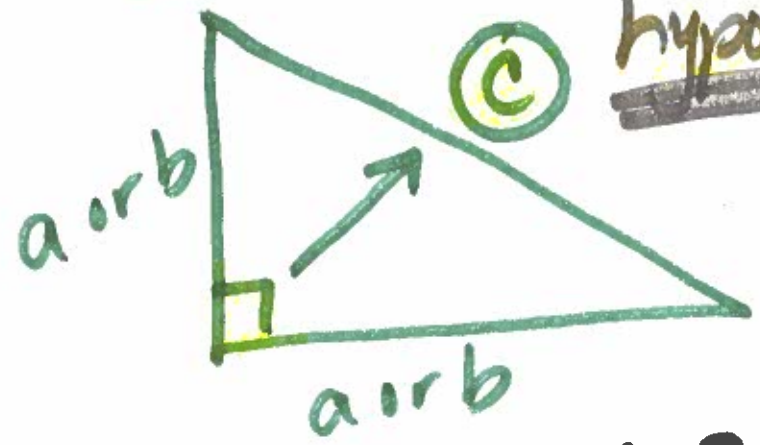
7.2 Pythagorean Theorem



FORMULA:

Pythagorean theorem

$$a^2 + b^2 = c^2$$



hypotenuse

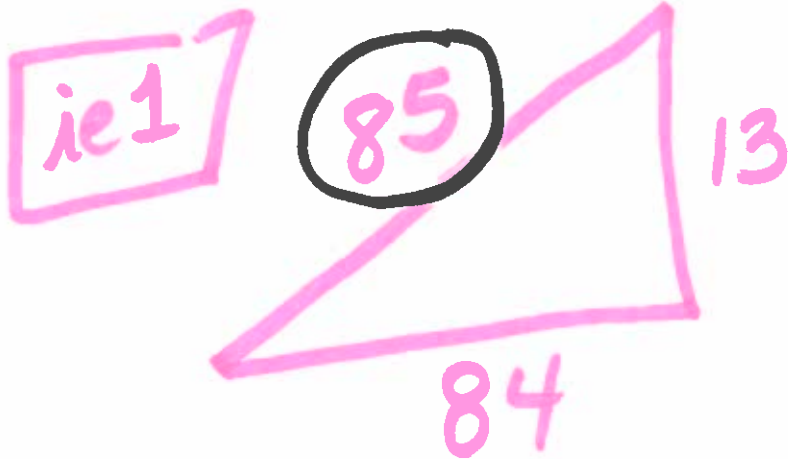
Pythagorean Triple: $a^2 + b^2 = c^2$

- (ex) 3, 4, 5
- (ex) 5, 12, 13

$$3^2 + 4^2 = 5^2$$

Q1 Is it a Right Δ ?

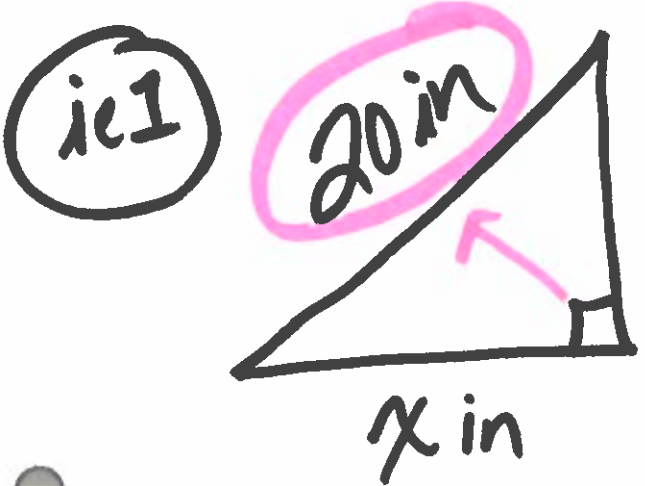
$$a^2 + b^2 = c^2$$



$$13^2 + 84^2 = 85^2$$
$$7225 = 7225$$

yes

Q2 Find missing side or hypotenuse →



$$x^2 + 8^2 = 20^2$$

$$x^2 + 64 = 400$$
$$\begin{array}{r} -64 \\ -64 \end{array}$$

$$\sqrt{x^2} = \sqrt{336}$$

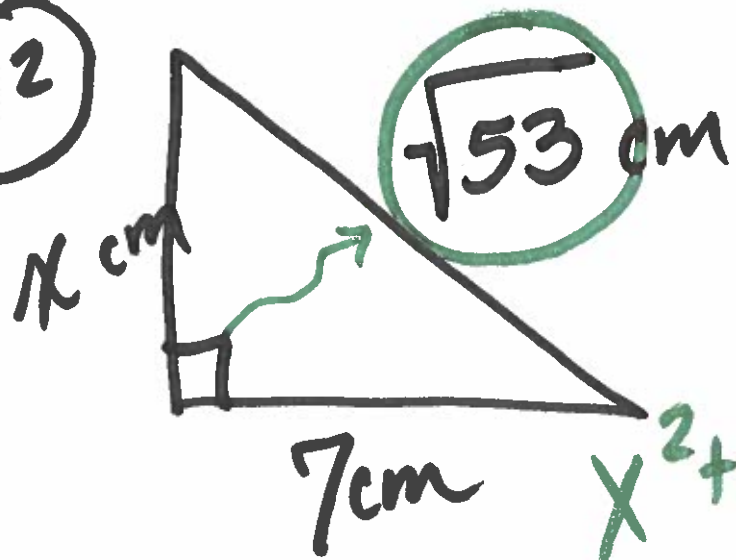
$$x = 18.3 \text{ in}$$

←

$$x = 18.39$$

18.4 in

ie 2



~~$(\sqrt{53})^2$~~

$$x^2 + 7^2 = (\sqrt{53})^2$$

53

$$x^2 + 49 = 53$$

$$\begin{array}{r} -49 \\ \hline \end{array}$$

$$\sqrt{x^2} = \sqrt{4}$$

$$x = 2 \text{ cm}$$

P3 Obtuse : Acute Triangles

$$a^2 + b^2 > c^2 \quad \text{greater than}$$

$$c^2 < a^2 + b^2 \quad \text{(ex) } 7^2 \quad 1^2 + 20^2$$

$$\begin{array}{r} 1^2 + 20^2 \\ \hline 401 \end{array} > \textcircled{49} \quad \textcircled{49} < \begin{array}{r} 49^2 \\ \hline 401 \end{array}$$

Acute:

c^2 is smaller than $a^2 + b^2$

$a^2 + b^2 < c^2$

$c^2 > a^2 + b^2$

Obtuse
 c^2 larger than $a^2 + b^2$

ie 1 6, 11, 14

✓ Right Δ $a^2 + b^2 = c^2$
Acute Δ $\frac{a^2 + b^2}{c^2} > 1$
Obtuse $\frac{a^2 + b^2}{c^2} < 1$

$6^2 + 11^2 \square 14^2$

$36 + 121 \square 196$

$157 \square \underline{\underline{196}}$

Obtuse

CWK
pgs. 286-287
#1-31 odds
Skip #17

1 | 31 | 2020

7.3 Special Right Triangles

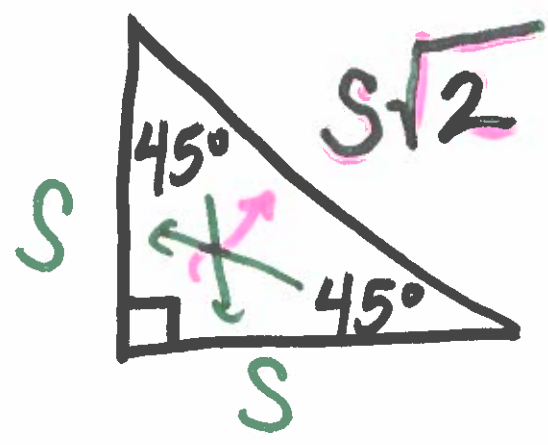


P1

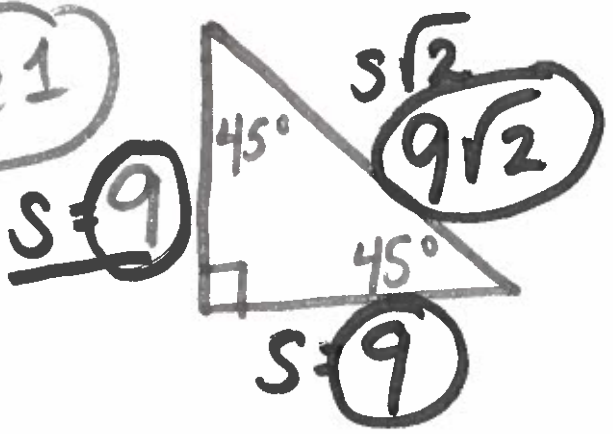
45°-45°-90°

S = side length

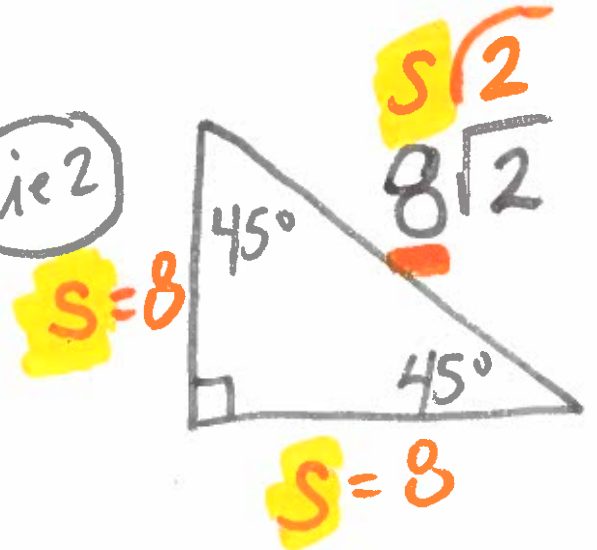
FORMULA:



ie 1

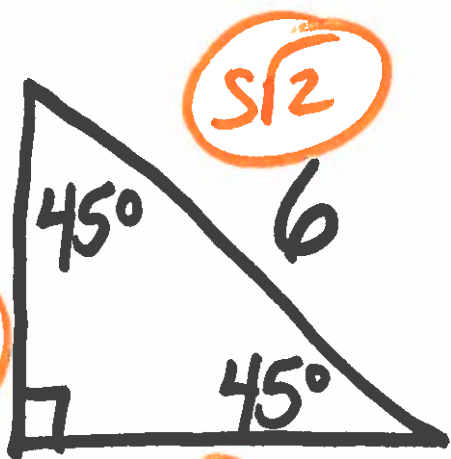


ie 2



ie3

$$S = \frac{6}{\sqrt{2}}$$



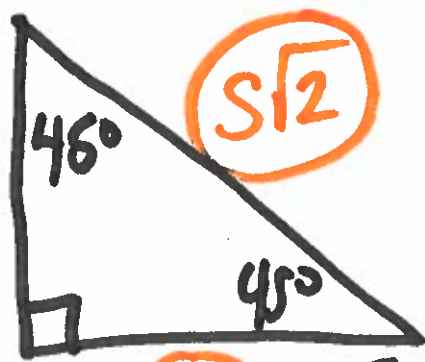
$$S = \frac{6}{\sqrt{2}}$$

$$\frac{S\sqrt{2}}{\sqrt{2}} = \frac{6}{\sqrt{2}}$$

$$S = \frac{6}{\sqrt{2}}$$

ie4

$$S = 5\sqrt{3}$$



$$S = 5\sqrt{3}$$

$$S = \frac{5\sqrt{3}}{\sqrt{2}}$$

$$S = \frac{5\sqrt{3}}{\sqrt{2}}$$

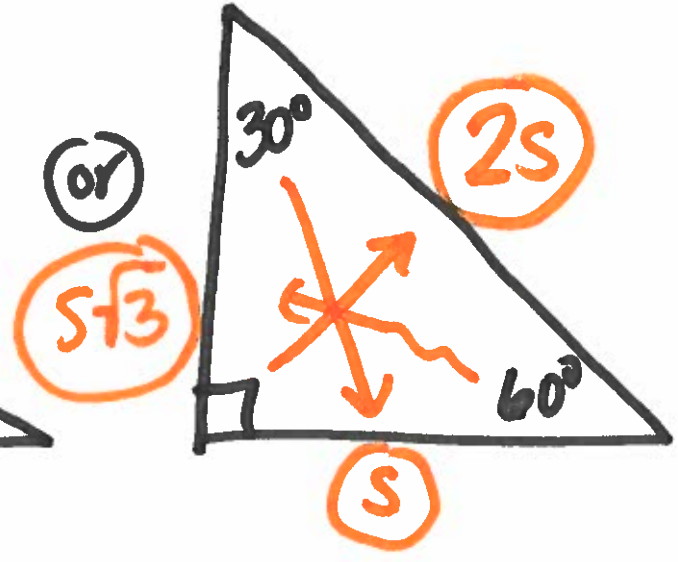
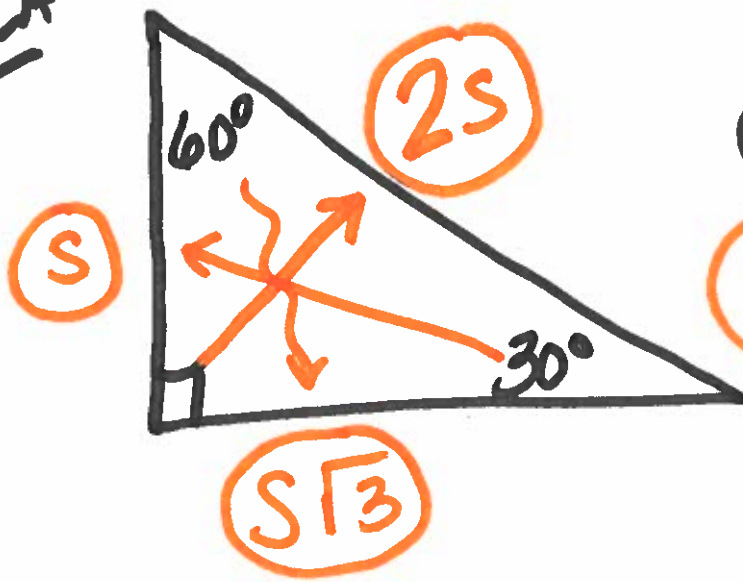
$$S\sqrt{2} = \frac{5\sqrt{6}}{\sqrt{2}}$$

$$\frac{S\sqrt{2}}{5\sqrt{3} \cdot \sqrt{2}}$$

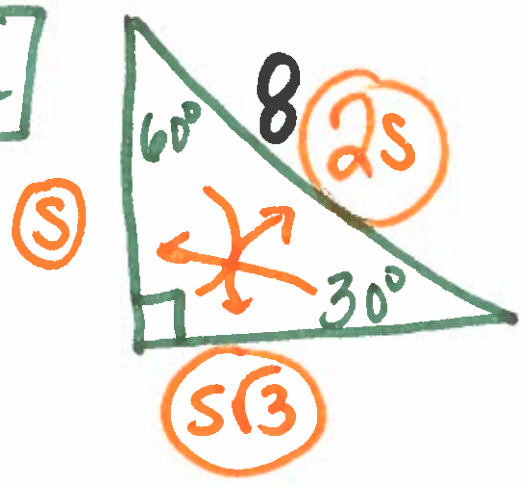
$$5\sqrt{6}$$

P2 30°-60°-90° Triangle

FORMULA



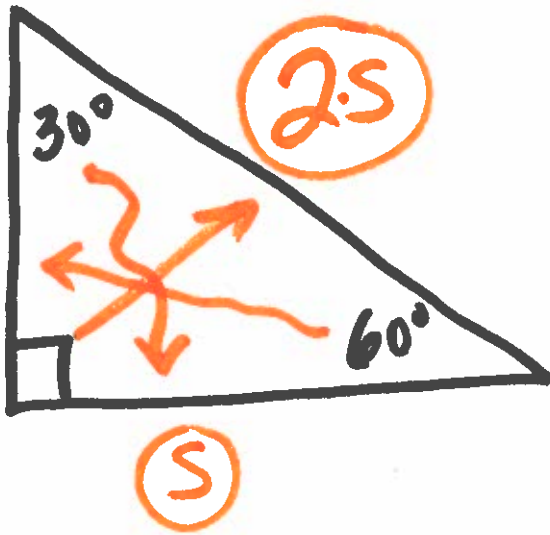
ie 1



$$\begin{aligned} s &= 4 \\ \hline s\sqrt{3} &= 4\sqrt{3} \\ 2s &= 8 \\ \hline \frac{2s}{2} &= \frac{8}{2} \quad s = 4 \end{aligned}$$

ie 2

$$s\sqrt{3} = 5$$



$$s = \frac{5}{\sqrt{3}}$$

$$s\sqrt{3} = 5$$

$$2s = \frac{10}{\sqrt{3}}$$

$$\frac{s\sqrt{3}}{\sqrt{3}} = \frac{5}{\sqrt{3}}$$

$$s = \frac{5}{\sqrt{3}}$$

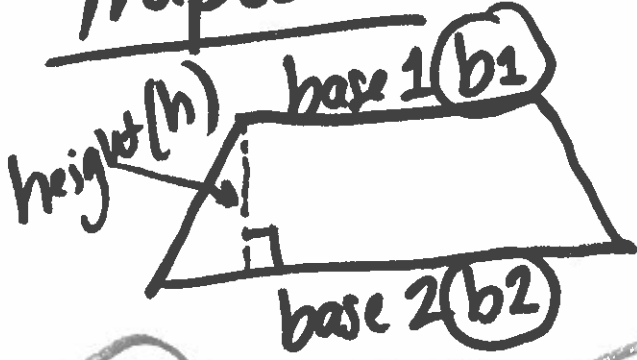
$$2s = 2\left(\frac{5}{\sqrt{3}}\right) = \frac{10}{\sqrt{3}}$$

CWK:
 pgs. 369-370
 #1-19
 odds

2/4/2020

7.4 Area of Trapezoids, Rhombuses, & Kites →

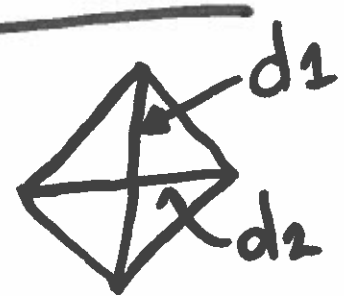
Trapezoid:



FORMULA:

$$A = \frac{b_1 + b_2}{2} \cdot h$$

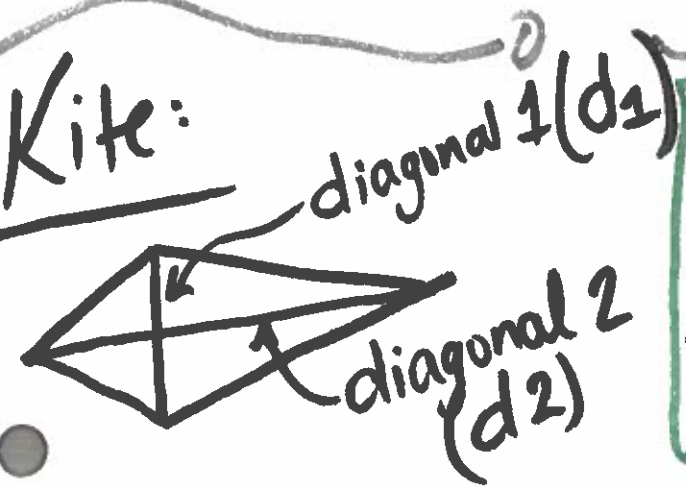
Rhombus:



FORMULA:

$$A = \frac{d_1 \cdot d_2}{2}$$

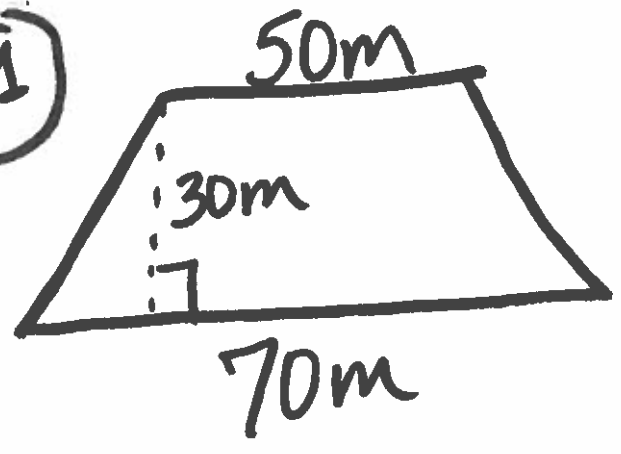
Kite:



FORMULA:

$$A = \frac{d_1 \cdot d_2}{2}$$

ie1



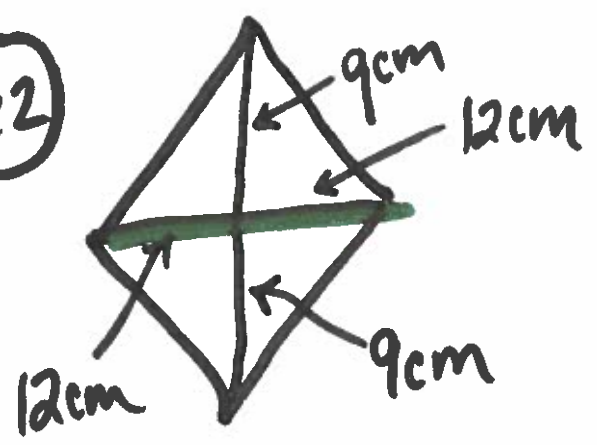
$$A = \frac{b_1 + b_2}{2} \cdot h$$

$$A = \frac{50 + 70}{2} \cdot 30$$

$$A = 60 \cdot 30$$

$$A = 1800 \text{m}^2$$

ie2



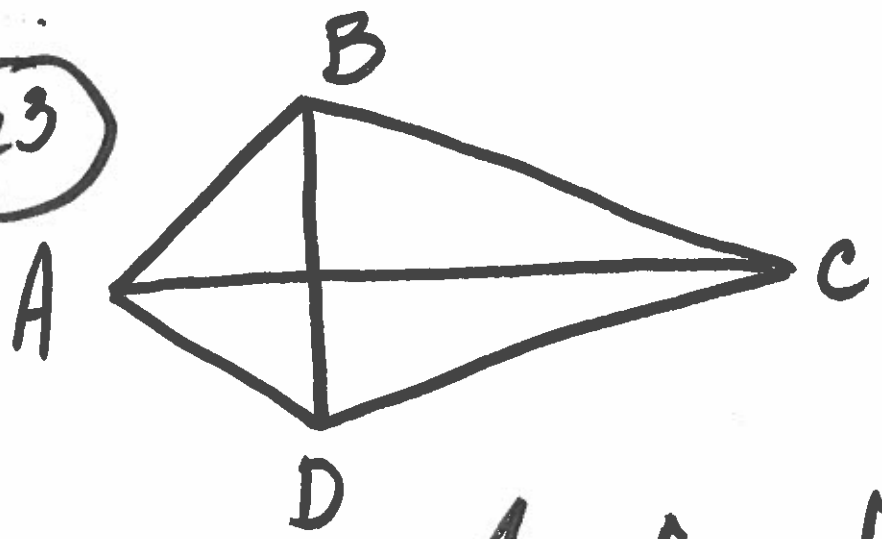
$$A = \frac{d_1 \cdot d_2}{2}$$

$$A = (9+9) \cdot (12+12)$$

$$\frac{18 \cdot 24}{2}$$

$$= 216 \text{cm}^2$$

ie3



$\overline{AC} = 30\text{m}$
 $\overline{BD} = 20\text{m}$

$$A = \frac{d_1 \cdot d_2}{2}$$

$$A = \frac{30 \cdot 20}{2}$$

$$A = 300\text{m}^2$$

CWIK:
Pgs. 376-377
#1-19
odds